
Flexible FEC Optimization for Time-Domain Hybrid Modulation Formats

A. Arduino, A. Carena, V. Curri

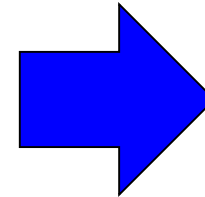
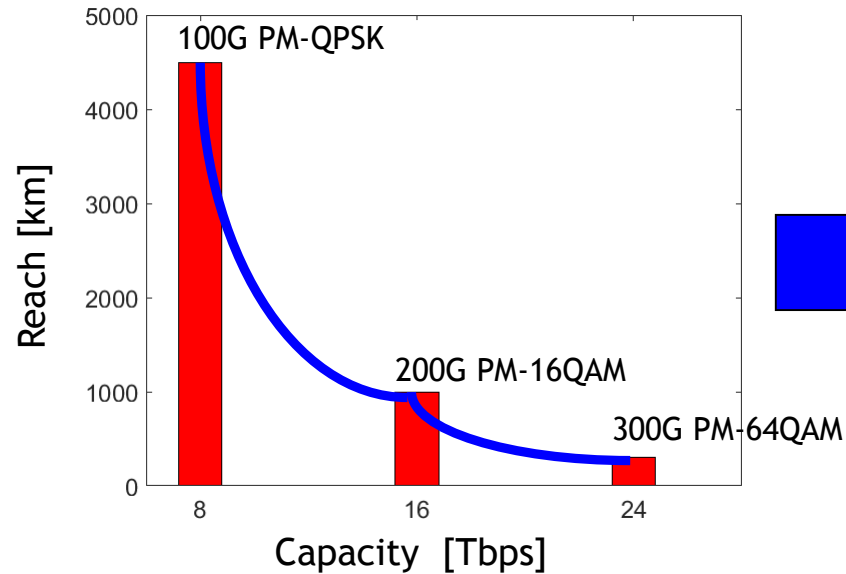
*Dipartimento di Elettronica e Telecomunicazioni, DET
Politecnico di Torino, Torino, Italy*

andrea.carena@polito.it



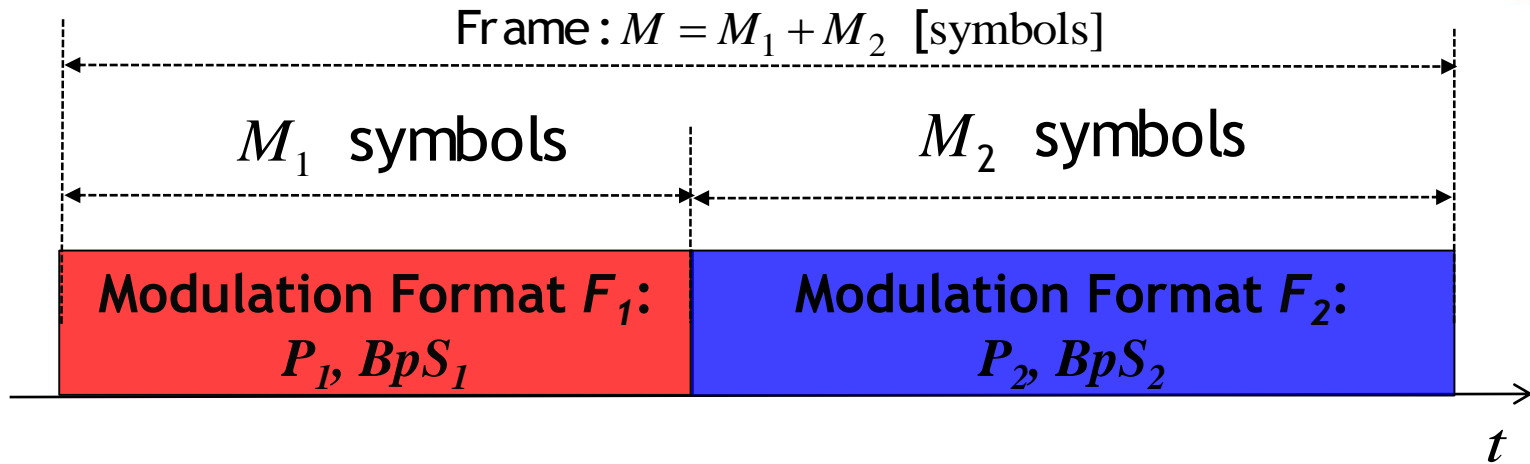
- ▶ Scenario
 - ▶ Why we need TDHMF?
 - ▶ What are TDHMF?
 - ▶ Transmitter operation strategies
- ▶ Flex-FEC: a new technique for TDHMF
- ▶ Results
- ▶ Conclusions and future analyses

- ▶ Reach has a trade-off with capacity
- ▶ Use of reduced-complexity “squared” constellations introduce strong granularity



TDHMF

- ▶ We achieve continuity of reach vs. spectral efficiency
- ▶ Flexible network optimization



Overall bit-per-symbol

$$BpS = \left(1 - \frac{FR}{100}\right) \cdot BpS_1 + \frac{FR}{100} \cdot BpS_2$$

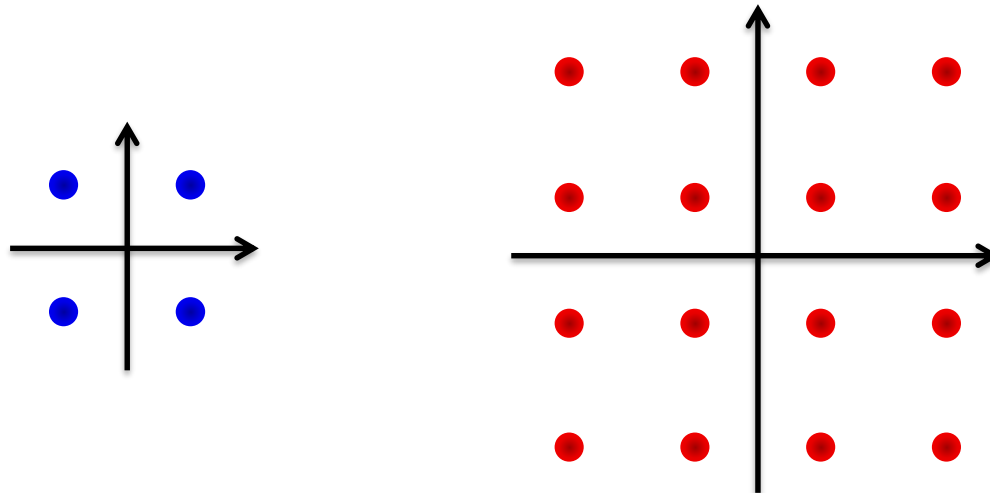
Format ratio: $FR = 100 \cdot \frac{M_2}{M}$

Power ratio: $PR = \frac{P_2}{P_1}$

BER(OSNR) depends on formats, format ratio and power ratio

Given F_1 , F_2 and FR , PR is the parameter to set according to one of the following strategies:

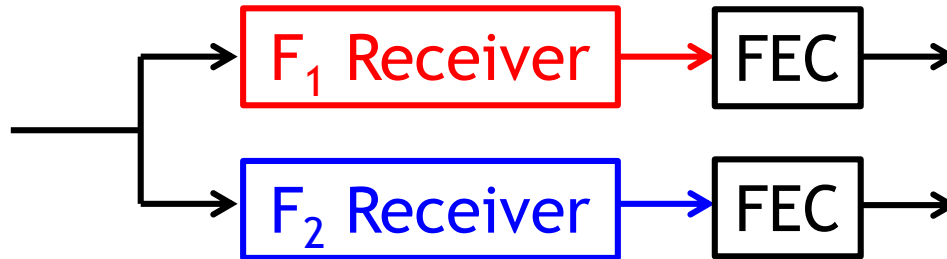
- a) $PR=0$ dB: the power is kept constant during transmission ($P_1=P_2$)
- b) $d_1=d_2$: the minimum Euclidean distance is kept equal for both F_1 and F_2



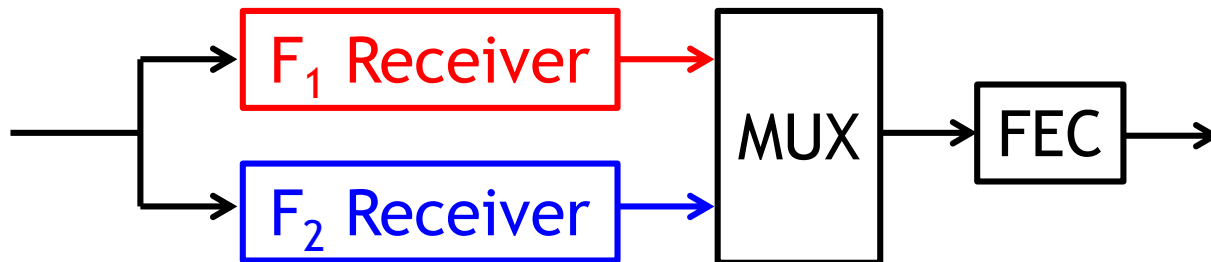
$PR=7$ dB

Given F_1 , F_2 and FR , PR is the parameter to set according to one of the following strategies:

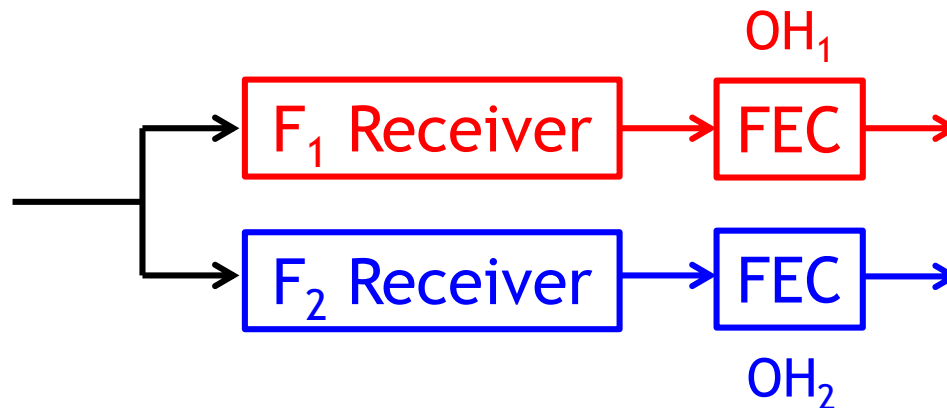
- c) **Same-OH**: both F_1 and F_2 are forced to operate at the FEC cliff assuming same FEC is applied to both formats



- c) **Min BER**: PR is obtained minimizing SNR in BER equation



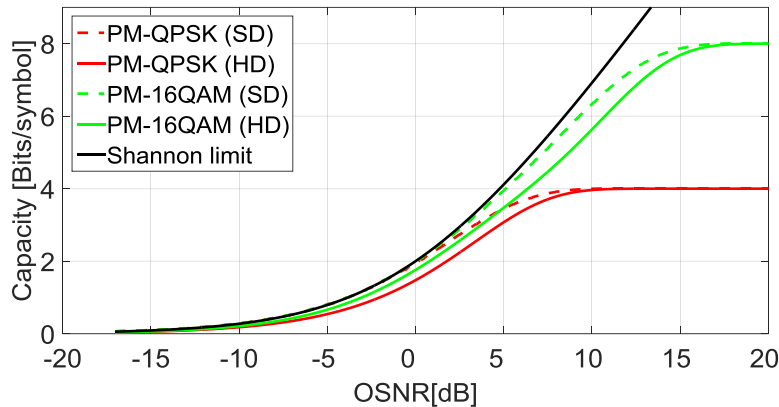
- ▶ In our previous studies, we considered the same-OH approach where the same FEC is applied to both formats
- ▶ Here, we propose to relax such constraint and optimize the overhead for each format





- ▶ We fix an overall OH
- ▶ For each Format Ratio (FR), we optimize the choice of OH_1 and OH_2 in order to minimize the required OSNR
 - ▶ This defines the power ratio (PR) between formats

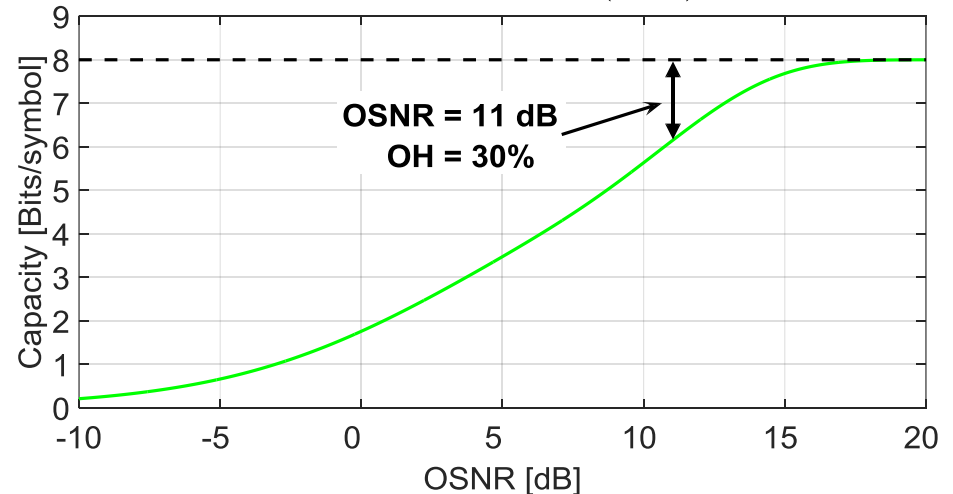
- ▶ We base our study on ideal FEC, derived from capacity curves



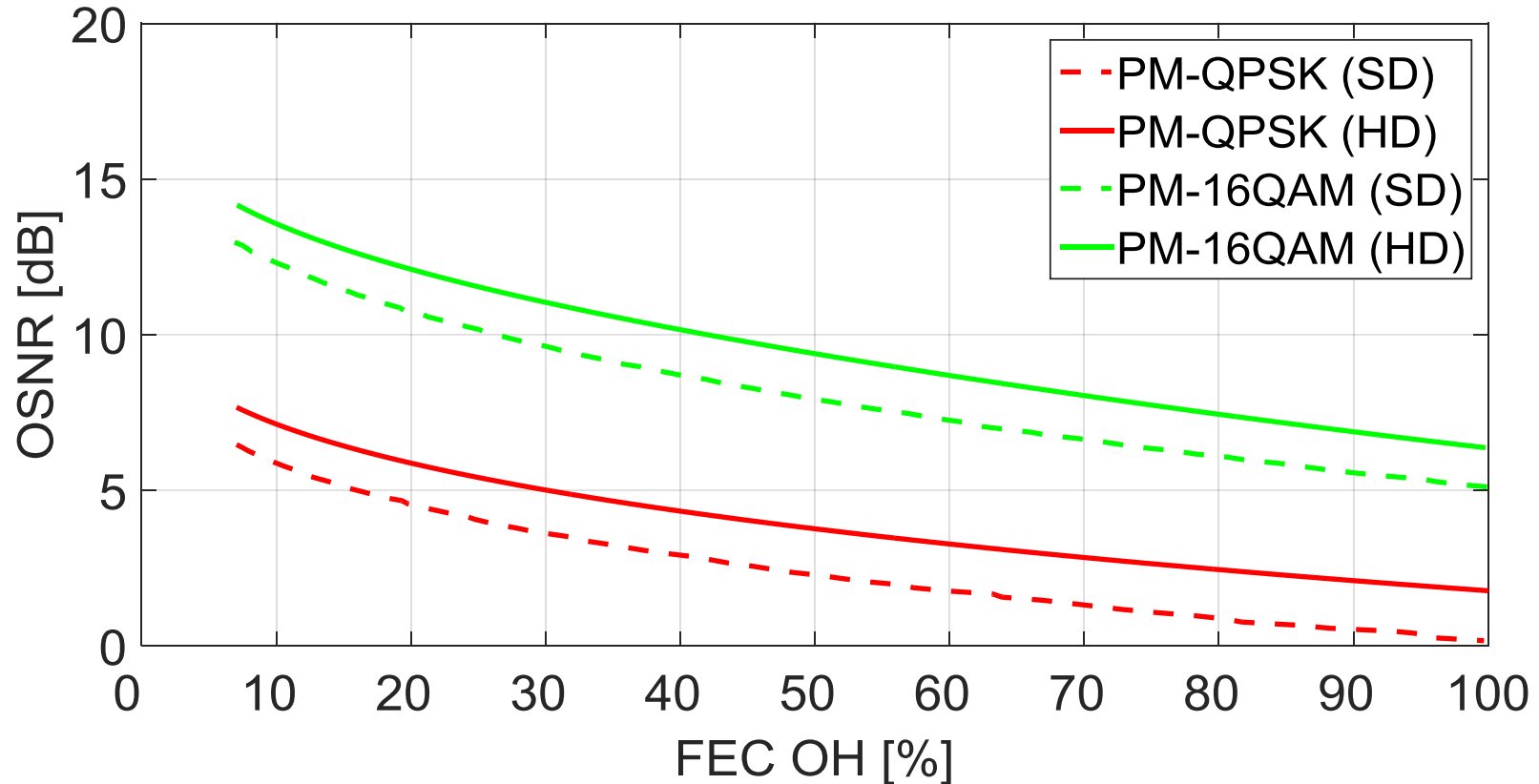
$$C_{\text{hard}} = 2 \frac{1}{M} \sum_{a \in X, b \in Y} P_{Y|X}(b|a) \log_2 \left(\frac{P_{Y|X}(b|a)}{P_Y(b)} \right)$$

$$C_{\text{soft}} = 2 \frac{1}{M} \sum_{a \in X} \int P_{Y|X}(y|a) \log_2 \left(\frac{P_{Y|X}(y|a)}{P_Y(y)} \right) dy$$

PM-16QAM (HD)



$$OH(OSNR) = \frac{C_{\text{max}} - C(OSNR)}{C(OSNR)} \quad [\%]$$



- ▶ These curves are input data for the optimization process

Same-OH

Flexible-FEC

F1 and F2 formats have:

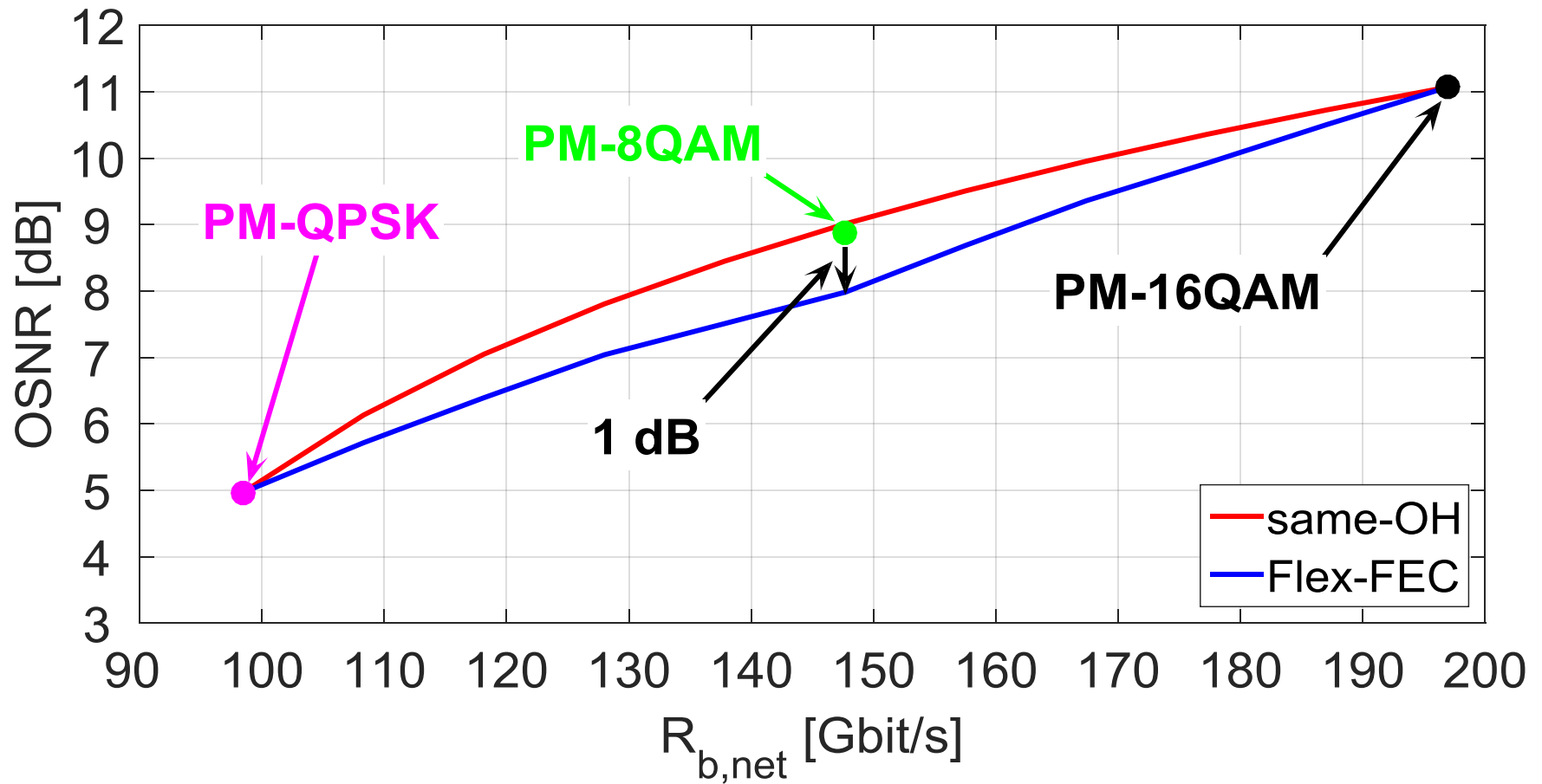
- | | |
|---|---|
| ▶ Same gross symbol rate | ▶ Same gross symbol rate |
| ▶ Same FEC | ▶ Different FEC |
| ▶ Same net symbol rate | ▶ Different net symbol rate |
| ▶ Slightly different pre-FEC BER | ▶ Strongly different pre-FEC BER |

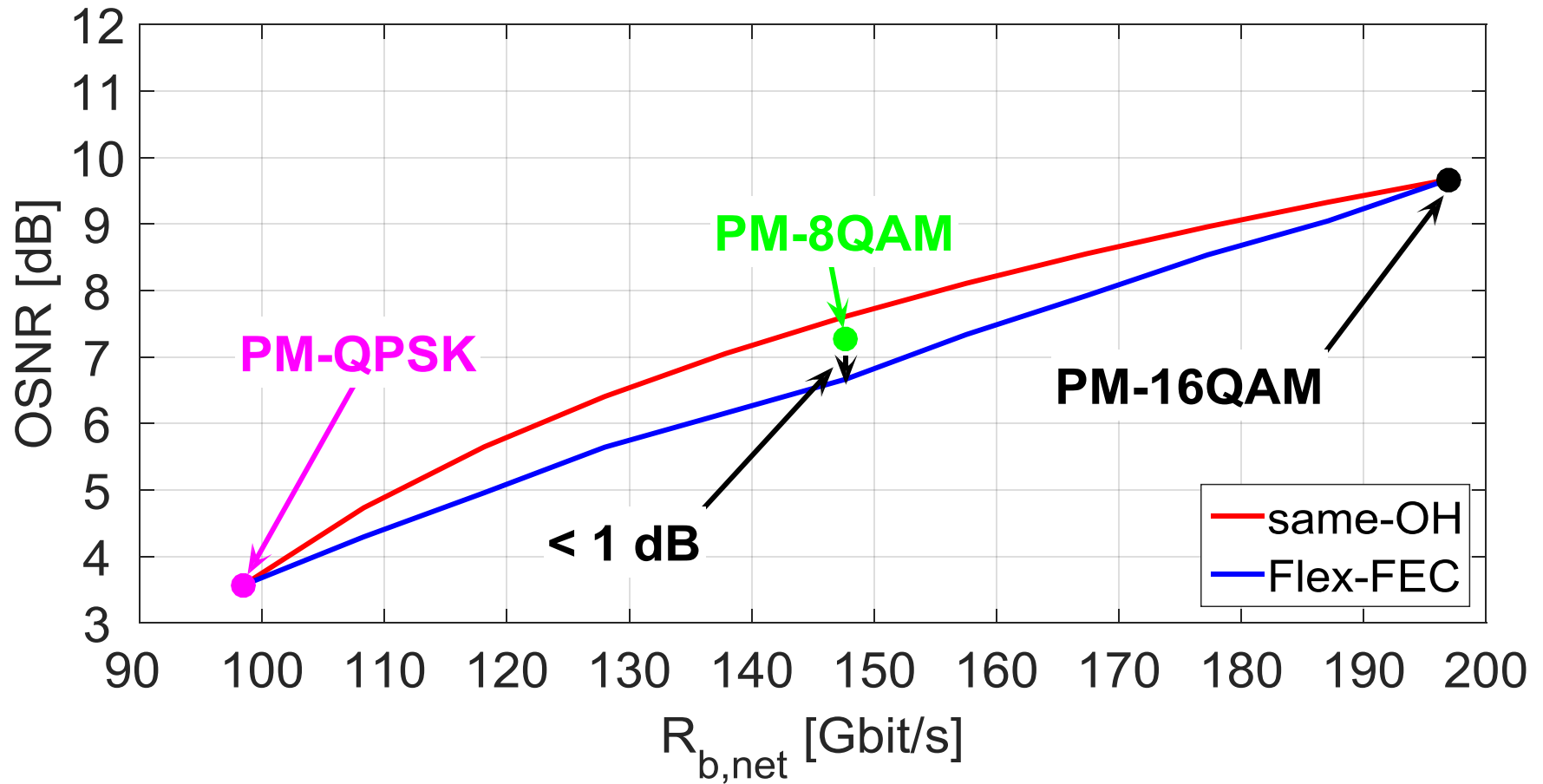
Overall TDHMF:

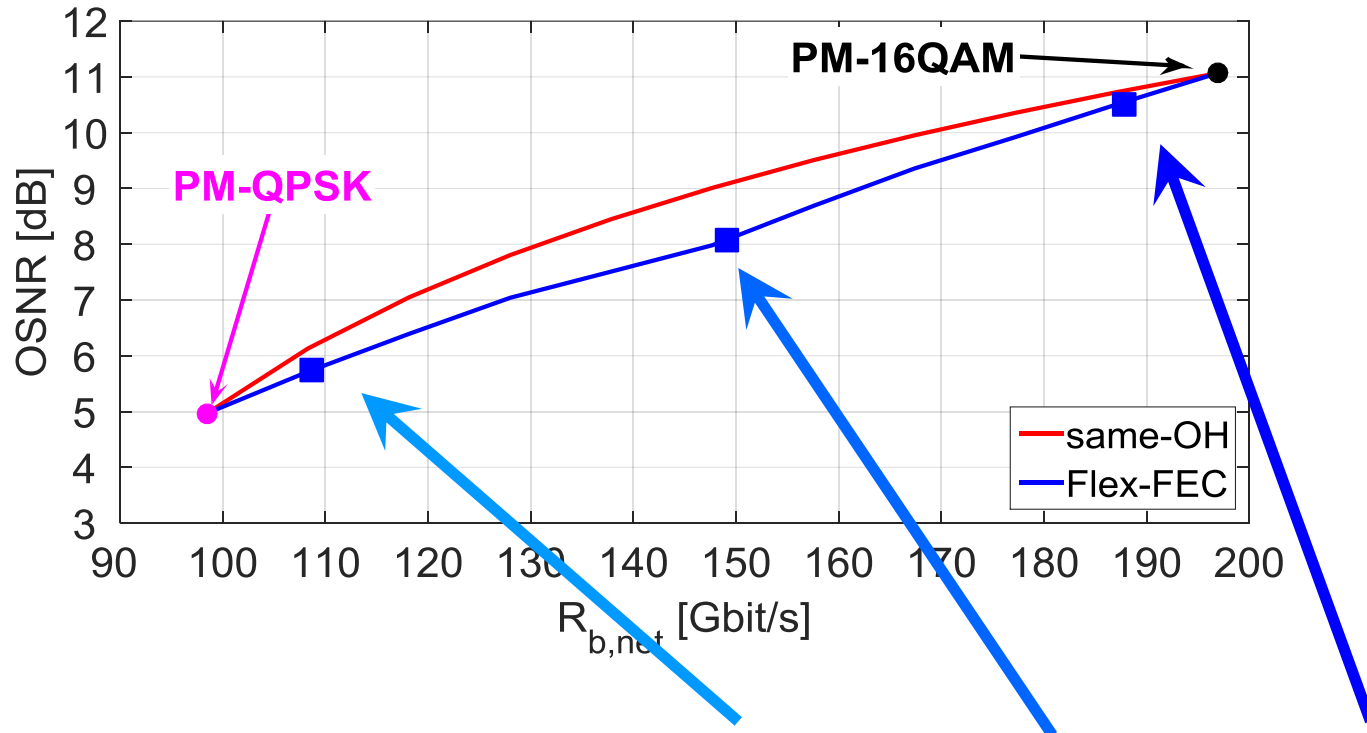
- | | |
|-------------------------------|-------------------------------|
| ▶ Same net symbol rate | ▶ Same net symbol rate |
|-------------------------------|-------------------------------|



- ▶ PM-QPSK + PM-16QAM
- ▶ 32 Gbaud
- ▶ 30% overall OH
- ▶ FR swept from 0 to 100%
- ▶ OH maximum: 60%







Format Ratio	10%	50%	90%
Power Ratio [dB]	3.7	1.5	3.8
F1: PM-QPSK OH	25%	10%	10%
F2: PM-16QAM OH	60%	60%	35%

- ▶ Flex-FEC technique shows up to 1 dB advantage compared to standard single FEC approach
- ▶ Flex-FEC imply a PR reduction that should results in a lower NLI impact

Future analyses

- ▶ Mix other modulation formats
 - ▶ PM-16QAM & PM-64QAM
- ▶ Consider realistic FECs
- ▶ Consider other optimization targets
 - ▶ Minimize PR
- ▶ Propagation analysis to verify reduced NLI impact with respect to same-OH



Thanks for your attention!



andrea.carena@polito.it

